

# **Modelos Neuronais**

Visão Geral

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J.D., R.L. Viana, J. Kurths, M.S. Baptista, Celso Grebogi

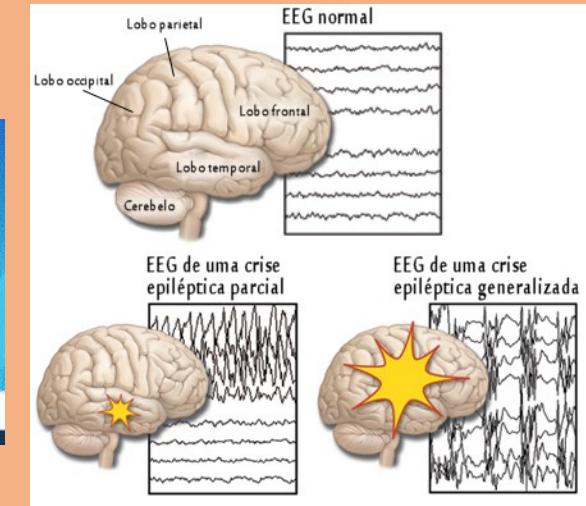
## Doença de Alzheimer



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## Epilepsia



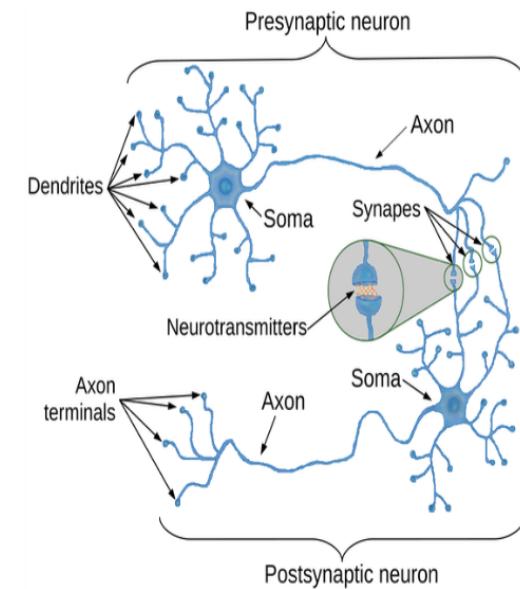
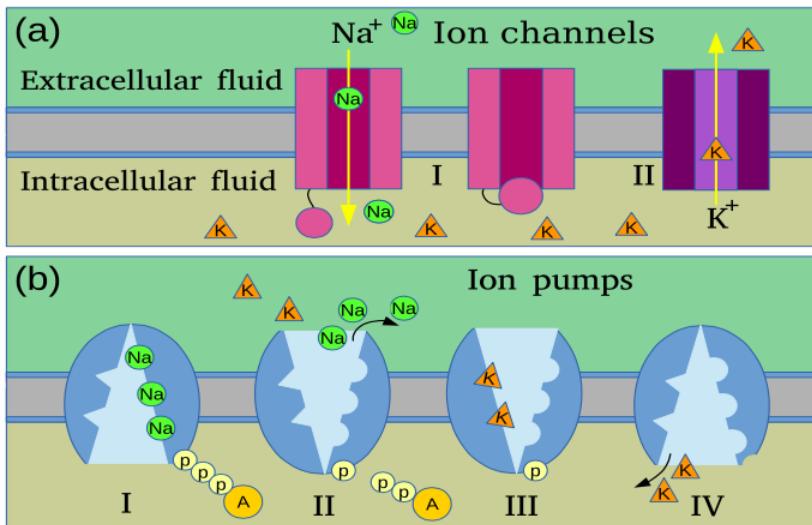
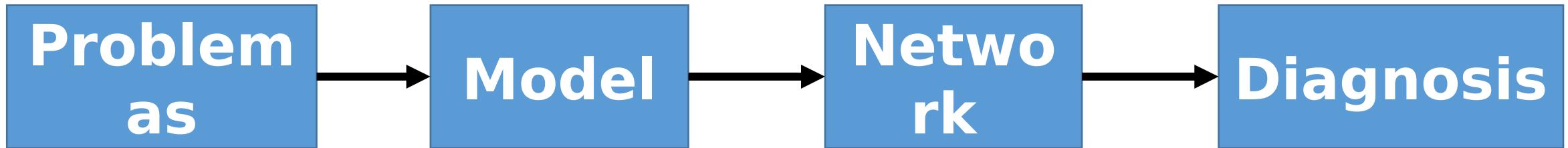
## Doença de Parkinson



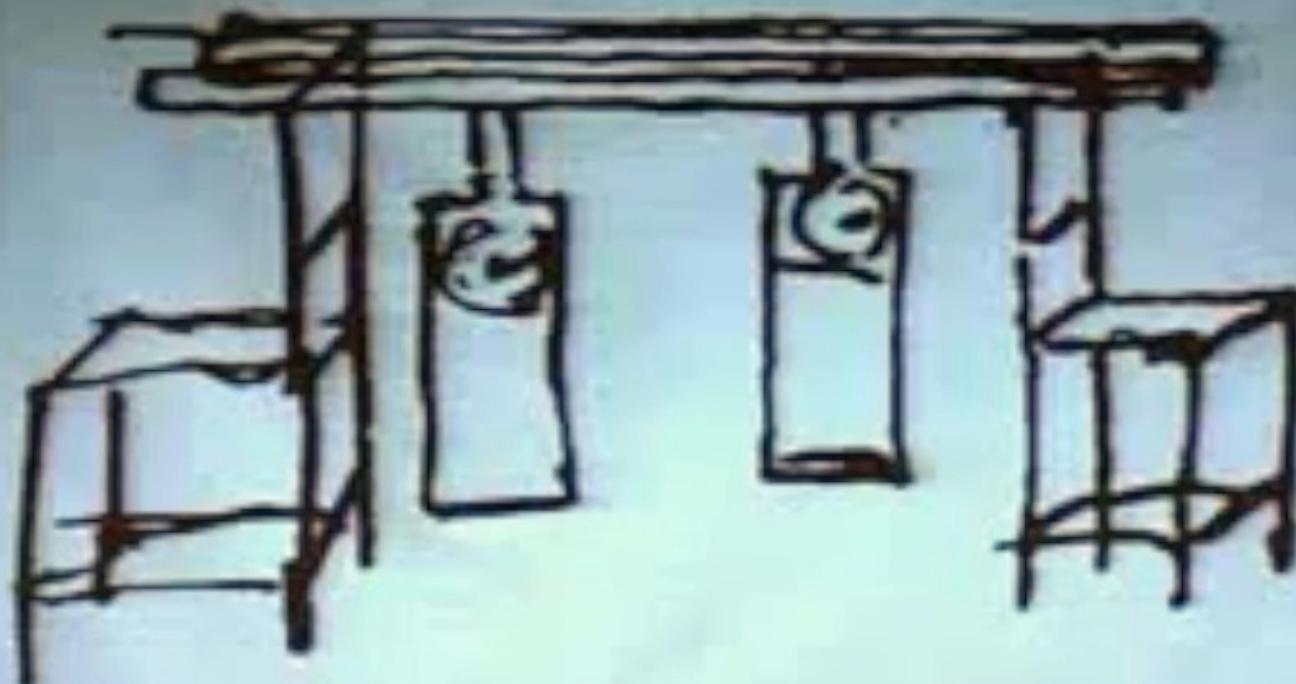
## Lesões



# General



# Pêndulo



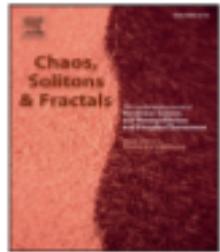


Contents lists available at ScienceDirect

# Chaos, Solitons and Fractals

Nonlinear Science, and Nonequilibrium and Complex Phenomena

journal homepage: [www.elsevier.com/locate/chaos](http://www.elsevier.com/locate/chaos)



## Chimera-like states in a neuronal network model of the cat brain

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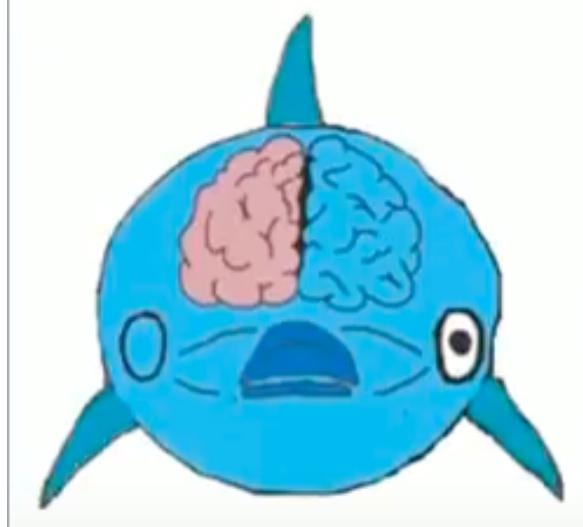
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350-340 a.C.



# Network

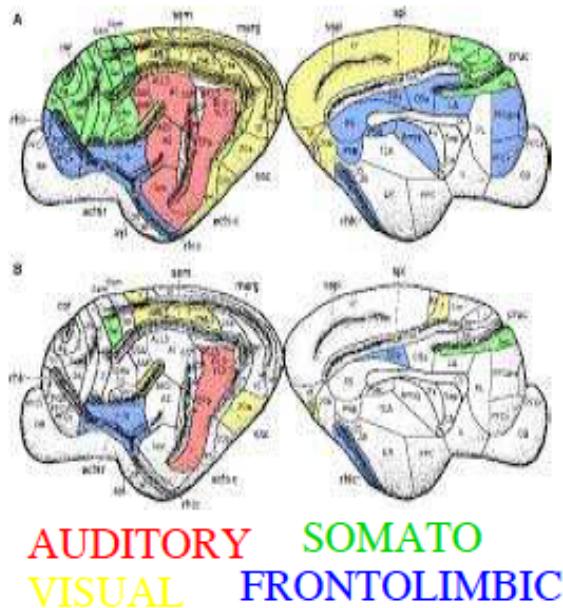
HR model

$$\dot{x}_j = y_j - x_j^3 + bx_j^2 + I_j - z_j - \frac{\alpha}{n'_j} \sum_{k=1}^N G'_{jk} \Theta(x_k)$$

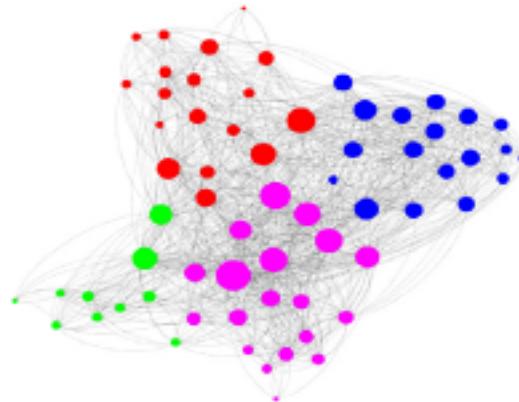
$$-\frac{\beta}{n''_j} \sum_{k=1}^N G''_{jk} \Theta(x_k),$$

$$\dot{y}_j = 1 - 5x_j^2 - y_j,$$

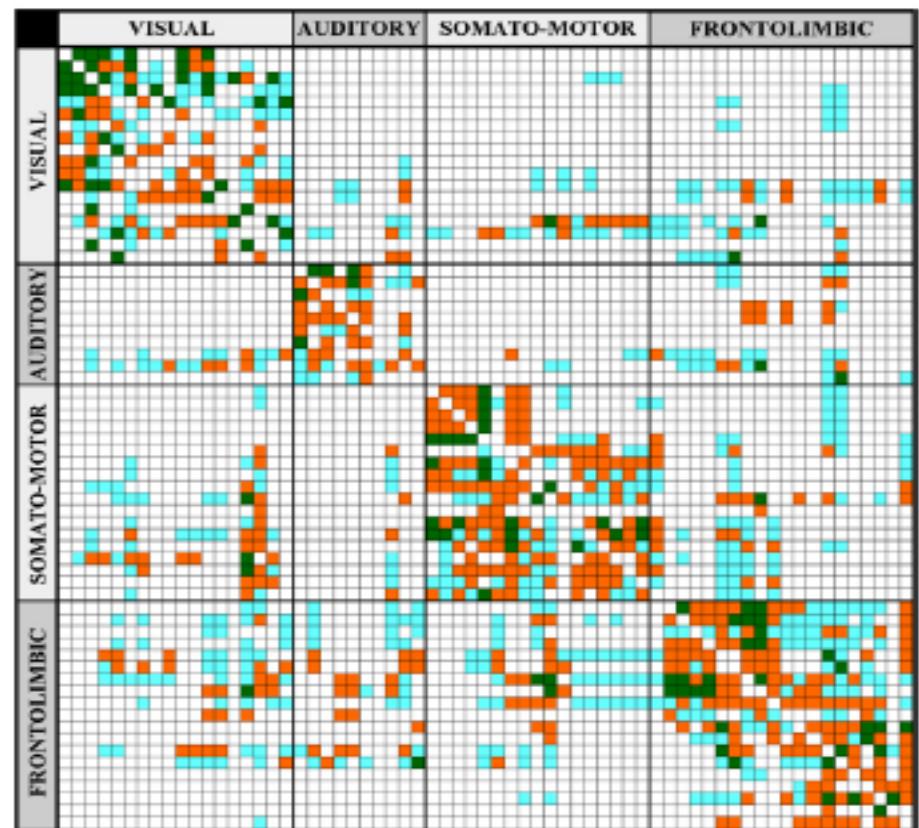
$$\dot{z}_j = \mu [s(x_j - x_{\text{rest}}) - z_j],$$

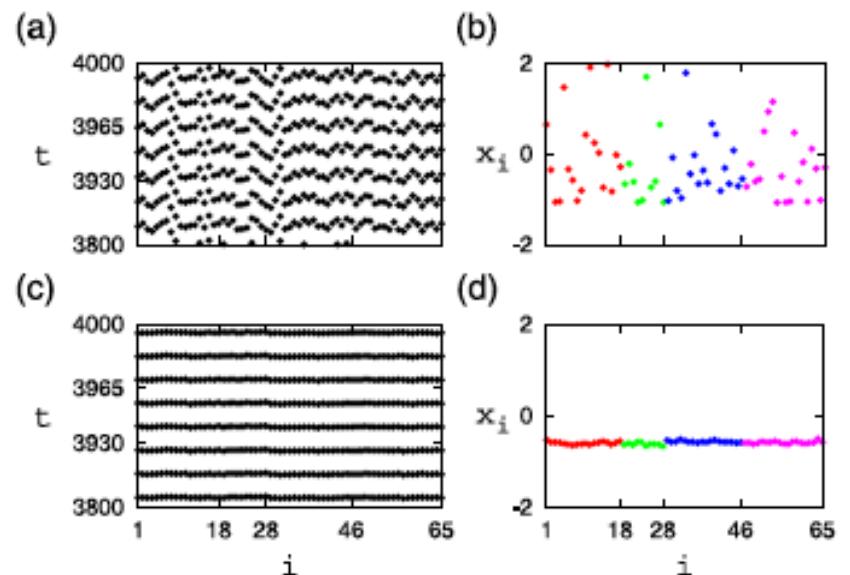


(a)

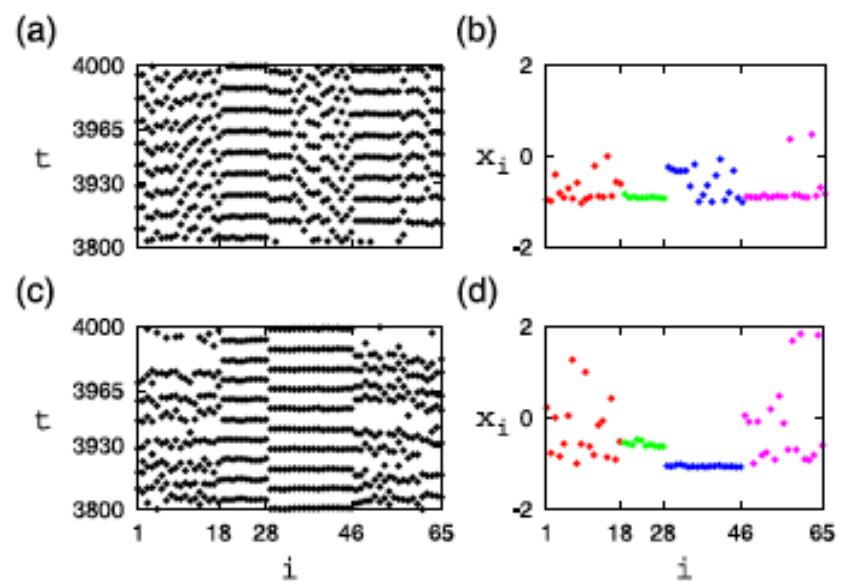


(b)

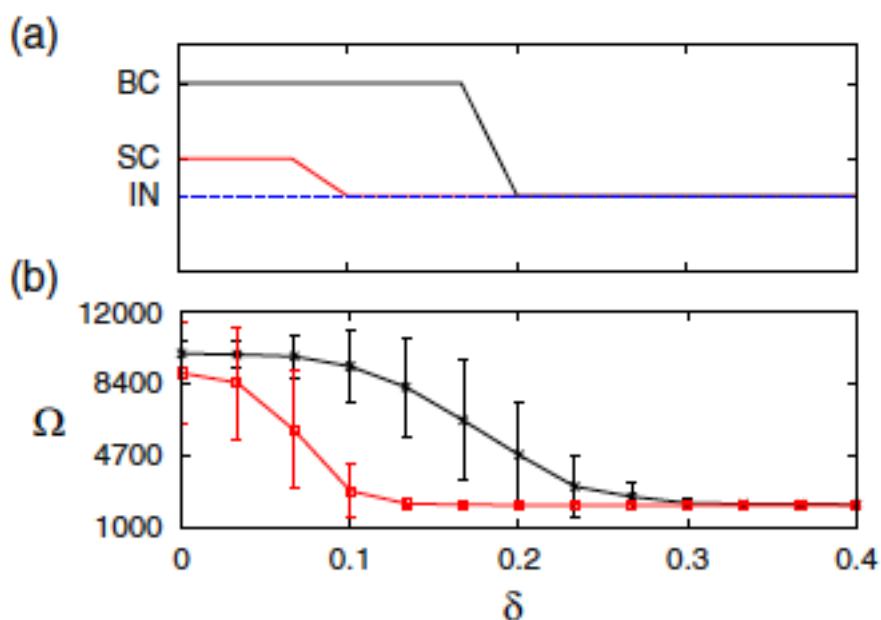




**Fig. 2.** Space-time plots (left) and snapshot of the variable  $x$  (right). (a) and (b) exhibit desynchronous behaviour for  $\alpha = 0.001$  and  $\beta = 0.001$ , (c) and (d) show synchronous behaviour for  $\alpha = 0.21$  and  $\beta = 0.04$ .



**Fig. 3.** Space-time plots (left) and snapshot of the variable  $x$  (right). (a) and (b) exhibit SC for  $\alpha = 0.7$  and  $\beta = 0.08$ , (c) and (d) show BC for  $\alpha = 1.5$  and  $\beta = 0.1$ .



**Fig. 7.** Noise robustness as a function of  $\delta$ . (a) for desynchronised bursts represented by the black line ( $\alpha = 1.5$  and  $\beta = 0.1$ ) and desynchronised spikes represented by the red line ( $\alpha = 0.7$  and  $\beta = 0.08$ ). (b) average chimera-like state lifetime and the standard deviation calculated by means of 400 initial conditions. (For interpretation of the references to color in this figure legend, the reader is referred to the web version of this article.)

# Synaptic Plasticity and Spike Synchronisation in Neuronal Networks

## Authors

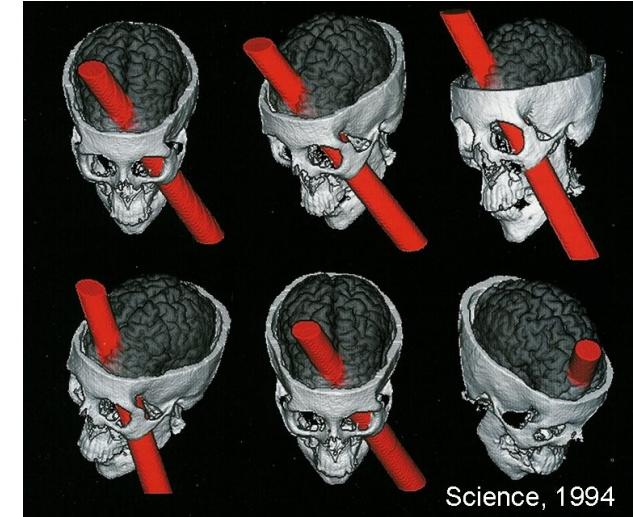
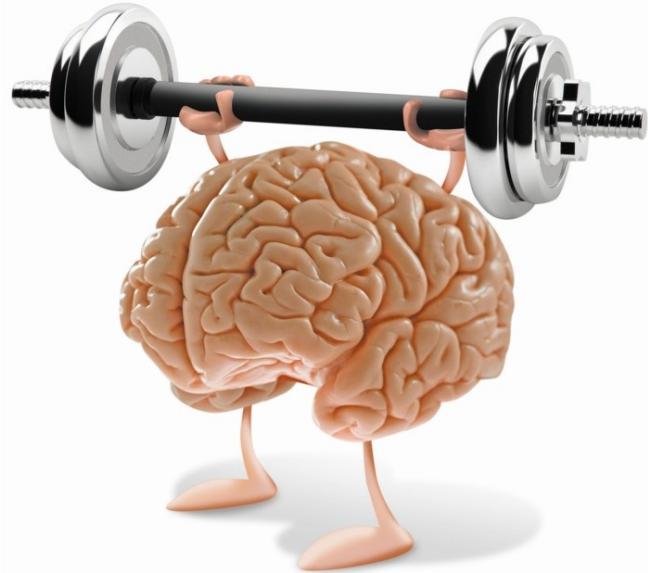
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Ricardo L. Viana, Elbert E. N. Macau, Murilo S. Baptista, Celso Grebogi, Antonio M. Batista

General and Applied Physics

First Online: 14 September 2017



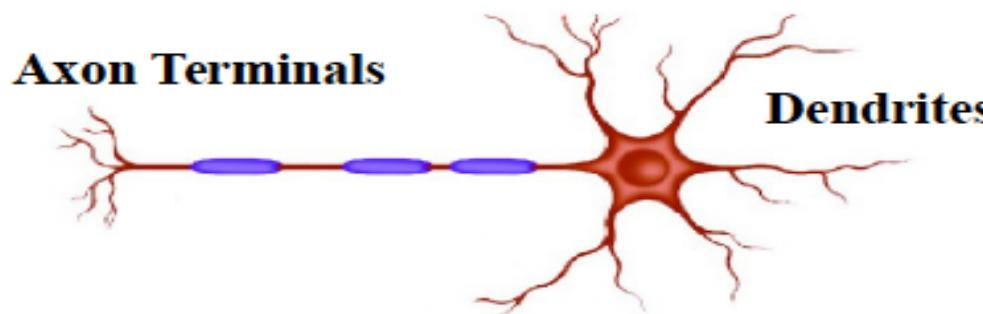


**Phineas P. Gage**



**João Carlos Gandra da Silva Martins**

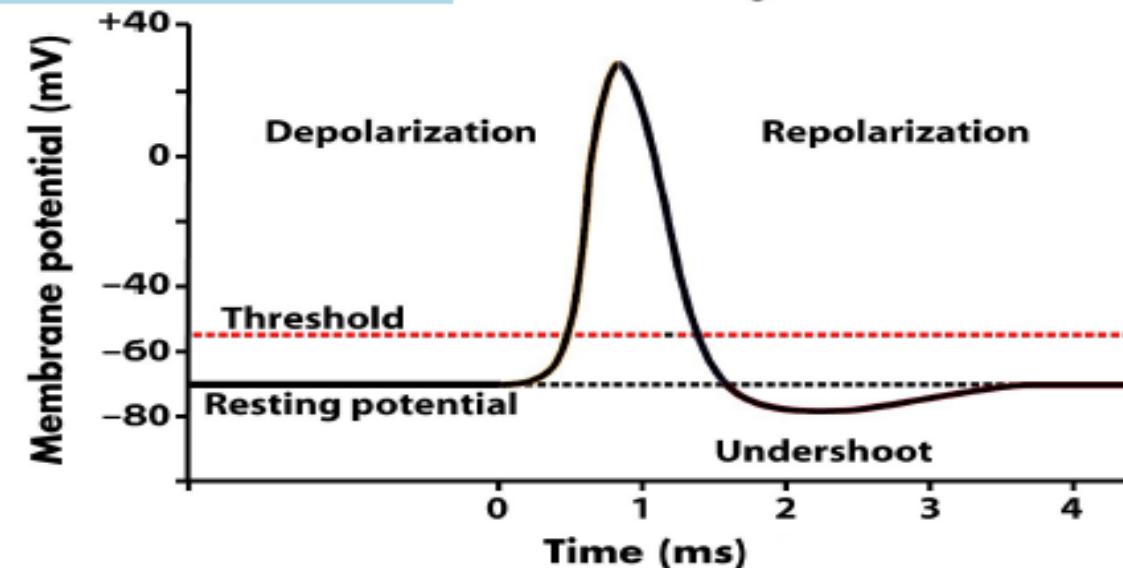
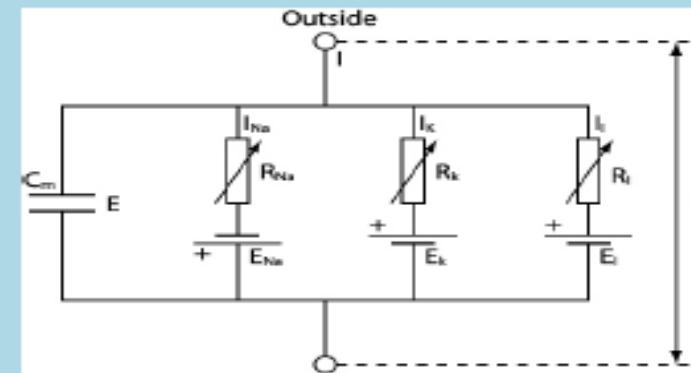
# The Hodgkin-Huxley Model



- Based on electrophysiological measurements of giant squid axon;
- Empirical model that predicts experimental data with very high degree of accuracy;
- Provides insight into mechanism of action potential;

Hodgkin-Huxley model of electrical activity in the squid giant axon

$$\begin{aligned}C_m \frac{dV}{dt} &= -g_{Na}m^3h(V - V_{Na}) - g_kn^4(V - V_k) - g_L(V - V_L) + I_a(t) \\ \frac{dm}{dt} &= \frac{m_\infty(V) - m}{\tau_m(V)} \\ \frac{dh}{dt} &= \frac{h_\infty(V) - h}{\tau_h(V)} \\ \frac{dn}{dt} &= \frac{n_\infty(V) - n}{\tau_n(V)}\end{aligned}$$



The network is given by

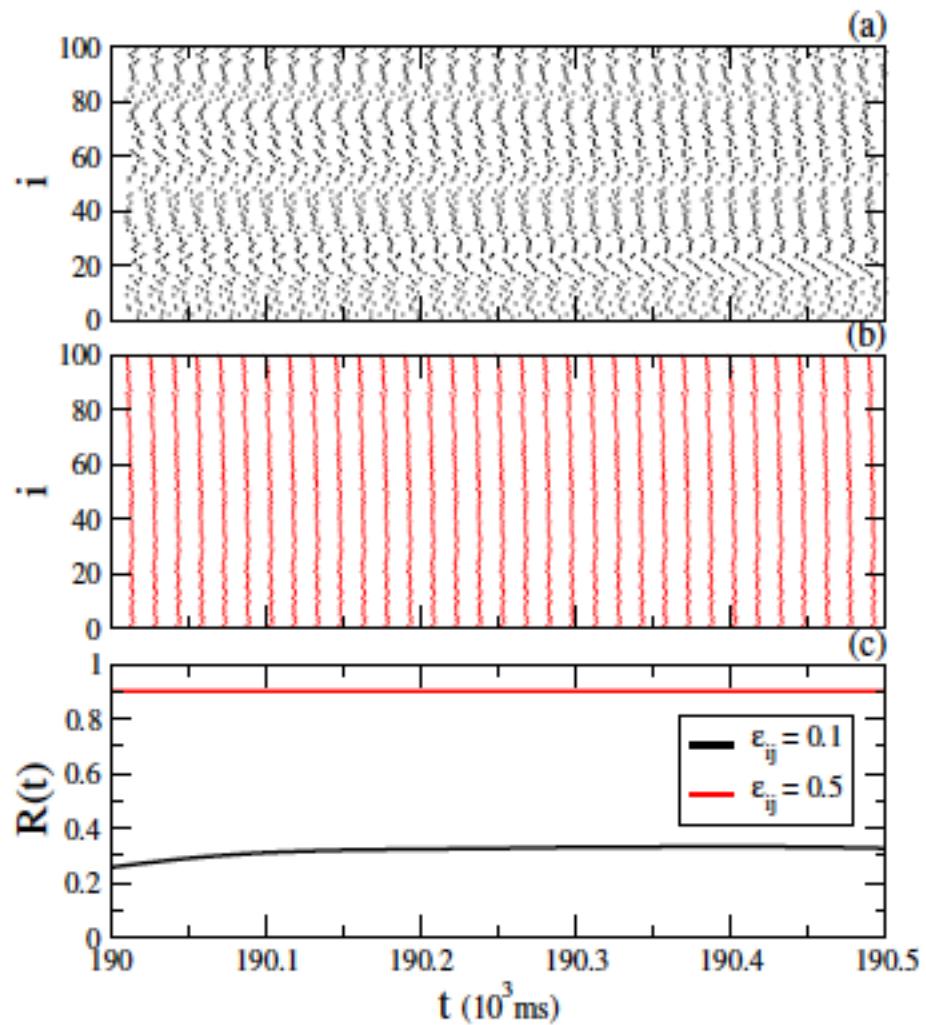
$$C\dot{V}_i = I_i - g_K n^4 (V_i - E_K) - g_{Na} m^3 h (V_i - E_{Na}) - g_L (V_i - E_L) + \frac{(V_r - V_i)}{\omega} \sum_{j=1}^N \varepsilon_{ij} s_j + \Gamma_i \quad (1)$$

where  $V_i$  is the membrane potential of neuron  $i$  ( $i = 1, \dots, N$ ),  $I_i$  is a constant current density randomly distributed,  $\omega$  is the average degree connectivity, and  $\varepsilon_{ij}$  is the coupling strength from the pre-synaptic neuron  $j$  to the post-synaptic neuron  $i$ . We consider an external perturbation  $\Gamma_i$ , so that each neuron receives an input with a constant intensity  $\gamma$ . The neurons are excitatory coupled with a reversal potential  $V_r$ . The post-synaptic potential  $s_i$  is given by

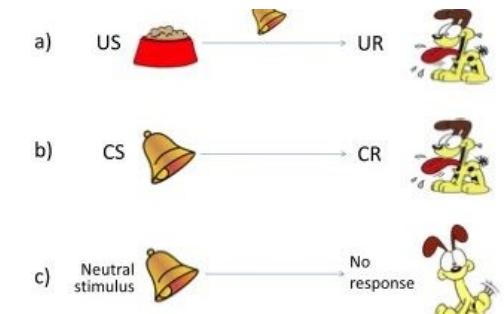
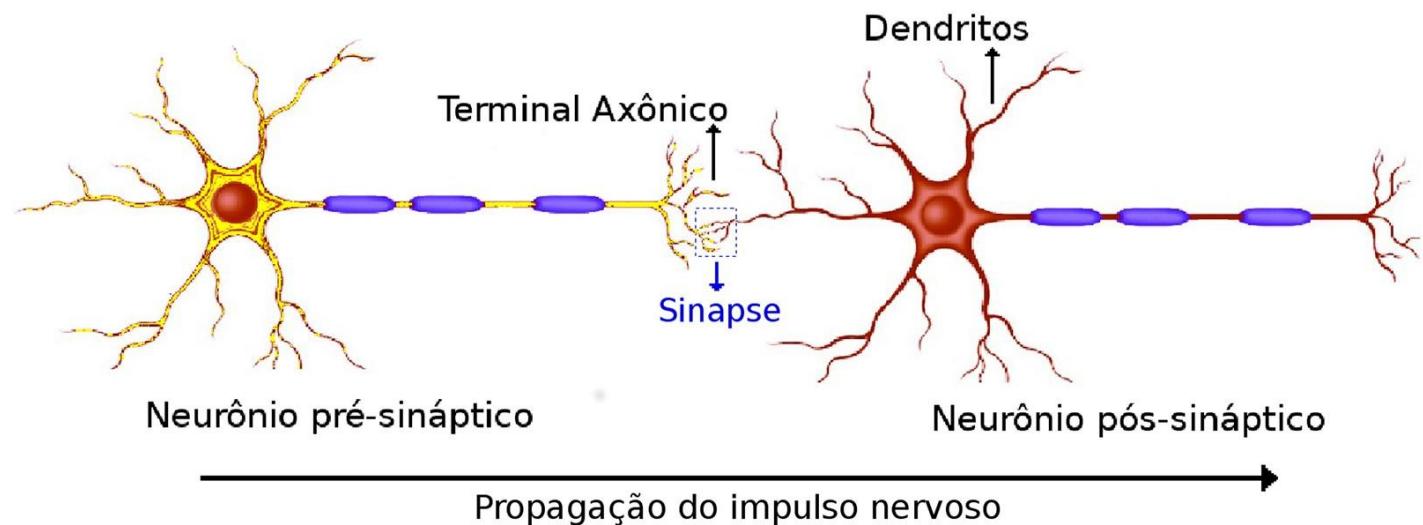
$$\frac{ds_j}{dt} = \frac{5(1-s_i)}{1+\exp(-V_i + \frac{3}{8})} - s_i \quad (2)$$

$$+ \frac{(V_r^{\text{Exc}} - V_i)}{\omega_{\text{Exc}}} \sum_{j=1}^{N_{\text{Exc}}} \varepsilon_{ij} s_j + \Gamma_i,$$

$$+ \frac{(V_r^{\text{Inhib}} - V_i)}{\omega_{\text{Inhib}}} \sum_{j=1}^{N_{\text{Inhib}}} \sigma_{ij} s_j + \Gamma_i,$$



**Fig. 5** (Colour online) Raster plots of spike onsets for a random network with 100 Hodgkin-Huxley neurons,  $\gamma = 0$ , (a)  $\varepsilon_{ij} = 0.1$  and (b)  $\varepsilon_{ij} = 0.5$ . In (c) the time evolution of the Kuramoto order parameter for  $\varepsilon_{ij} = 0.1$  (black line) and  $\varepsilon_{ij} = 0.5$  (red line).



# Conclusions

- Spike synchronisation in the perturbed network can be improved due to a constructive effect on the synaptic weights, depending on the probability of connections.
- The abrupt transition from desynchronised to synchronised state is due to directed synapses among spiking neurons with high and low frequency.



## Synchronised firing patterns in a random network of adaptive exponential integrate-and-fire neuron model



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